

MATHS CURRICULUM MAP

Year 7



	Topic	Core declarative knowledge: what should students know?	Core procedural knowledge: what should students be able to do?
Module 1	The Grammar of Written Calculations	<ul style="list-style-type: none"> What is a number? What is the difference between measuring and counting? Why is using place value helpful? What is base 10? What is the relationship between place value columns? Describe what happens when you multiply by 10, 100 or 1000? How does rounding help with estimating? When might mental methods be more efficient than written methods? What is multiplication? What is division? Is division commutative? How are multiplication and division linked? What happens if a number does not divide exactly? What is commutativity, associativity & distributivity? How do arrays and area models help you understand commutativity of multiplication? How do arrays and area models help you understand associativity and distributivity? 	<ul style="list-style-type: none"> Recognise concrete representations and place value models of integers and decimals Understand decimal notation and place values and identify the values of the digits in a decimal Convert between decimal and fraction where the denominator is a factor of 10 or 100 Use correctly the symbols $<$, $>$ and the associated language Multiply, and divide, any integer or decimal by 10, 100, 1000, or 10,000 Mentally add and subtract sets of numbers including decimals Use the commutativity and associativity of addition Understand and use the formal written algorithms for addition and subtraction including decimals Use commutativity, associativity and distributivity to solve calculations efficiently Use column method to multiply integers Use a formal algorithm for division Multiply and divide whole numbers and decimals Find factors and multiples. Recognise and define: prime, square and cube numbers Use the definitions of factors and multiples to find common factors and common multiples Express an integer as a product of its factors
Module 2	Negatives and Introduction to Algebra	<ul style="list-style-type: none"> Does the order of addition and subtraction matter? Why might BIDMAS be misleading? Does it make a difference if you multiply or divide first? Where else have we met this idea? Why might you want to divide first? Why might you want to multiply first? For worded problems, should we apply operations in the same order that they appear? How are indices linked to multiplication? Can you think of any similar relationships? What does equal priority mean? How can the language of temperature help me work out calculations? How can multiplying negative numbers help me in dividing negative numbers? What links can I make between addition and multiplication of negative numbers? How does multiplying and dividing by negatives affect the concept of multiplication as scaling? If I am adding a negative number, does my number want to get more/less positive/negative? If I am subtracting a negative number, does my number want to get more/less positive/negative? Why do we need to use letters? What can letters in maths represent? What is the difference between the equal sign and the identity sign? How can we use substitution to check answers? What is the difference between $3x^2$ and $(3x)^2$? Is ab the same or different to ba? What about a/b and b/a? $a+b$ and $b+a$? $a-b$ or $b-a$? 	<ul style="list-style-type: none"> Define each element of BIDMAS Understand the priority of operations, including equal priority Form and identify equivalent calculations based on distributivity, commutativity and the order of operations Interpret negative numbers in a variety of contexts Compare and order positive and negative numbers Use positive and negative numbers to express change and difference Calculate using all four operations with positive and negative values Use number lines to model calculations with negative numbers Explore scaling with negative multipliers Form and manipulate expressions involving negative numbers Use number lines to model calculations with negative numbers Develop understanding of algebraic notation Collect like terms to simplify expressions and understand that this is a result of the distributive property Substitute numerical values into expressions and evaluate Expand and factorise single brackets Develop understanding of the equality and inequality signs Form equations or inequalities from abstract and real life contexts Use different contexts, including sequences, to construct expressions, equations and inequalities

MATHS CURRICULUM MAP

Year 7



Module 3

Module 4

Topic	Core declarative knowledge: what should students know?	Core procedural knowledge: what should students be able to do?
Classifying 2D Shapes	<ul style="list-style-type: none"> How would you describe what an angle is? What do they measure? What is a degree? How do you use protractors/angle measurers correctly? What is a point of intersection? How could you define a line of symmetry? What are the possible orders of rotational symmetry for a triangle? What is the difference between scalene, isosceles and equilateral triangles? What is the difference between the radius and the diameter of a circle? How do you use a compass correctly? 	<ul style="list-style-type: none"> Draw and measure acute and obtuse angles to the nearest degree Estimate the size of a given angle Know and use the angle facts: angles at a point, angles at a point on a straight line, vertically opposite angles Define parallel and perpendicular lines Use angle facts around corresponding, alternate and co-interior angles to find missing angles Find unknown angles. Form algebraic expressions and solve equations related to unknown angles Define and identify the order of rotational symmetry Identify and count the lines of symmetry Describe the properties of scalene, isosceles and equilateral triangles Know that the interior angles in a triangle sum to 180° Solve problems involving unknown angles in triangles Compare the symmetry, side length, number of parallel sides and angles in quadrilaterals Name the basic features of circles. Construct triangles using a pair of compasses and ruler given the length of the sides. Construct triangles with the same interior angles using a protractor. Construct triangles given two sides and an angle
The Cartesian Plane	<ul style="list-style-type: none"> Does the order of the numbers matter? If you know the mid-point, can you find the line segment? What shapes can be described as rectilinear? What lengths are multiplied to find the area? What is the difference between area and perimeter? What is a vector? How does moving the point of rotation affect the image? What is a rotation? Does an enlargement always make a shape bigger? Describe the effect of a scale factor of enlargement. 	<ul style="list-style-type: none"> Reading and writing coordinates of points in all four quadrants. Including non-integer coordinates Finding the mid-point of a line segment or two points Using the midpoint and a point on the line to find the coordinates of another point on the line Recognise and plot horizontal and vertical lines on a coordinate axis Understanding equations of horizontal and vertical lines Calculating the perimeter of polygons Finding the area of rectilinear shapes Finding the area of other 2-D shapes including triangles, and special quadrilaterals Find the area & perimeter of compound shapes (inc finding missing sides) Translate shapes and describe translations using column vectors Rotate shapes about a point by multiples of 90 degrees, clockwise or anti-clockwise Describe rotations accurately Reflecting shapes by horizontal, vertical and diagonal lines Enlarge a shape by a positive and/or unit fraction scale factor

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Year 7



	Topic	Core declarative knowledge: what should students know?	Core procedural knowledge: what should students be able to do?
Module 5	Fractions	<ul style="list-style-type: none"> • What is a prime number? • What is the Lowest Common Multiple? (LCM) • What is the Highest Common Factor? (HCF) • What does it mean to prime factorise a number? • What is a numerator? What is a denominator? • What is an improper fraction? • What is a proper fraction? • What is the relationship between the division of fractions and the multiplication of them? • How do we add fractions with unlike denominators? • What does equivalent mean? 	<ul style="list-style-type: none"> • Be able to 'build' numbers by considering products. • Use index notation • Find factors and multiples, square numbers, cube numbers, prime number, triangular numbers • Write a number as a product of primes • Find the common factor and common multiple using the prime factorisation • Find the highest common factor and lowest common multiple using the prime factorisation • Recognise and name equivalent fractions • Convert fractions to decimals • Convert terminating decimals to fractions in their simplest form • Convert between mixed numbers and improper fractions • Compare and order numbers (including like and unlike fractions) • Find a fraction of a set of objects or quantity • Find the whole given a fractional part • Multiply and divide fractions by a whole number or fraction • Add and subtract fractions with like denominators • Add and subtract fractions with unlike denominators • Add and subtract fractions mixed numbers and improper fractions • Convert between improper fractions and mixed numbers
Module 6	Ratios and Percentages	<ul style="list-style-type: none"> • What is a ratio? • Why do we use ratios to share? • What does a part of a ratio look like? • What is a percentage? • Why do we say percent? • What is a bar model? • What is simplifying? • How do decimals and percentages relate to each other? • How can you use a decimal to calculate a percentage of amount? • What does a percentage over 100 mean? 	<ul style="list-style-type: none"> • Compare two or more quantities in a ratio. • Use bar models to represent percentage and ratio • Simplifying ratios • Understand percentages as a ratio of two quantities where one quantity is standardised to 100 • Interpret a percentage as a fraction and decimal • Find a percentage of an amount with and without a calculator • Increase and decrease a quantity by a given percentage • Compare two quantities using percentages • Find a quantity given a percentage of it • Solve ratio and proportion problems in a variety of contexts • Understand percentages as a fractional operator with a denominator of 100 • Understand and interpret percentages over 100.

MATHS CURRICULUM MAP

Year 8



	Topic	Core declarative knowledge: what should students know?	Core procedural knowledge: what should students be able to do?
Module 1	Equivalence through Fractions and Percentages	<ul style="list-style-type: none"> • What is a prime number/multiple/factor? • What is the Lowest Common Multiple? (LCM) • What is the Highest Common Factor? (HCF) • What does it mean to prime factorise a number? • What does it mean to simplify? • What is an equivalent fraction? • What is a numerator? What is a denominator? • What is a improper fraction? • What is a proper fraction? • What is the relationship between the division of fractions and the multiplication of them? • How do we add fractions with unlike denominators? • What is a proportion? • What is the relationship between percent and 100? 	<ul style="list-style-type: none"> • Be able to 'build' numbers by considering products. • Use index notation • Find factors and multiples, square numbers, cube numbers, prime number, triangular numbers • Write a number as a product of primes • Find the common factor and common multiple using the prime factorisation • Find the highest common factor and lowest common multiple using the prime factorisation • Recognise and name equivalent fractions • Convert fractions to decimals • Convert terminating decimals to fractions in their simplest form • Convert between mixed numbers and improper fractions • Compare and order numbers (including like and unlike fractions) • Find a fraction of a set of objects or quantity • Find the whole given a fractional part • Multiply and divide fractions by a whole number or fraction • Add and subtract fractions with like denominators • Add and subtract fractions with unlike denominators • Add and subtract fractions mixed numbers and improper fractions • Convert between improper fractions and mixed numbers
Module 2	Forming and Solving Equations and Inequalities	<ul style="list-style-type: none"> • What is a sequence? • What does it mean to generalise? • What is the nth term and how can I use it to solve problems? • What is the difference between an equation, expression and inequality? • Does an equation always have a solution? • What does the word inverse mean? • Why do I need to perform the same operations to both sides of my equation? • How do I decide what order to perform the inverse operations in? • What do inequalities represent? • How do inequalities relate to equations? • Are the same methods for solving inequalities the same as equations? 	<ul style="list-style-type: none"> • Identify and generate terms of a sequences • Finding a given term in a linear sequence • Developing a rule for finding a term in a linear sequence • Generalising the position to term rule for a linear sequence (nth term) • Form and solve equations including those with unknowns both sides and those involving algebraic fractions • Represent, form and solve inequalities • Use number lines and inequality symbols to represent and describe sets of numbers. • Use substitution to determine whether values satisfy given inequalities. • Solve linear inequalities with the unknown on one side. • Form inequalities in geometrical contexts • Use bar models to manipulate linear inequalities between two variables. • Compare manipulating linear equations and linear inequalities.
Module 3	Graphs and Proportions	<ul style="list-style-type: none"> • What is an object? • What is an image? • What other translations can be described with a vector? • How does moving the point of rotation effect the image? • What happens when I move the shapes vertices? • What happens to the image if I move the reflection line? • Can a combination of transformations be described by a single transformations? • What is the effect of a scale factor on the area of a shape? • What is the effect of a scale factor on the perimeter of a shape? • How does the word linear relate to general form of $y=ax+c$ • What happens as the coefficient of x changes? • What happens as the coefficient of x becomes negative? • What happens as the y-intercept changes? • How do you know if two lines are parallel? " 	<ul style="list-style-type: none"> • Translate shapes and describe translations using column vectors • Rotate shapes about a point by multiples of 90 degrees, clockwise or anti-clockwise • Describe rotations accurately • Reflecting shapes by horizontal, vertical and diagonal lines • Describing rotations by giving the vertical or horizontal equation of the line • Apply a combination of transformations to a shape • Describe the single transformation made by applying a combination of transformation • Enlarge a shape by a positive and/or unit fraction scale factor • Identify the equations of horizontal and vertical lines (from year 7) • Plot coordinates from a rule to generate a straight line • Recognise $y = ax$ & equations of the form $y= ax + c$ • Identify key features of a linear graph including the y-intercept and the gradient • Make links between the graphical and the algebraic representation of a linear graph • Recognise different algebraic representations of a linear graph • Identify parallel lines from algebraic representations

MATHS CURRICULUM MAP

Year 8



	Topic	Core declarative knowledge: what should students know?	Core procedural knowledge: what should students be able to do?
Module 4	Proportional Reasoning	<ul style="list-style-type: none"> What is a ratio? Why do we use ratios to share? What does a part of a ratio look like? What is a coordinate? What is a gradient? What does parallel mean? What is the Y-intercept? What does it mean to be proportional? What does it mean to be inversely proportional? What do the graphical representations of proportion look like? 	<ul style="list-style-type: none"> Understand the concept of ratio and use ratio language and notation Connect ratio with understanding of fractions Compare two or more quantities in a ratio Recognise and construct equivalent ratios Express ratios involving rational numbers in their simplest form Construct tables of values and use graphs as a representation for a given ratio Compare ratios by finding a common total value Explore ratios in different contexts including speed and other rates of change Contrast ratio relationships involving discrete and continuous measures Use speed and other rates of change to draw and interpret graphical representations Explore density and concentration as other contexts for proportional relationships Explore contexts involving proportional relationships Represent proportional relationships using tables and graphs Represent proportional relationships algebraically Recognise graphs of proportional relationships Solve proportion problems Define inverse proportional relationships Represent inverse proportion relationships algebraically
Module 5	Statistics - Types of Data, Averages and Interpretations	<ul style="list-style-type: none"> What happens to the original mean when one of the numbers is removed? When will the mean go up? When will it go down? Why? How could you compare the two data sets? When is the mean better to use? When is the median better to use? When is the mode better to use? What is continuous data? What is discrete data? What is the difference between univariate data and bivariate data? What is an outlier? Why do we use scatter diagrams? What does the line of best fit allow us to do? What does interpolation mean? What does extrapolation mean? 	<ul style="list-style-type: none"> Find the mean, median mode and range from raw datasets Use the mean, median and mode to compare data sets Use an average plus the range to compare datasets Find the mode, median and mean from tables and graphical representations (not grouped) Explore methods of data collection including surveys, questionnaires and the use of secondary data Appreciate the difference between discrete and continuous data Classify and tabulate data Conduct statistical investigations using collected data Construct scatter graphs Recognise clusters and outliers Analyse the shape, strength and direction to make conjectures for possible bivariate relationships Plot a line of best fit Use a line of best fit to interpolate and extrapolate inferences
Module 6	Circles; 3D Shapes - Surface Area and Volume	<ul style="list-style-type: none"> What are the definitions of the circumference, radius, diameter, a chord, a sector and a segment? Is the circumference proportional to the diameter? What is pi? What is an irrational number? What approximation can be used for pi? How many decimal places of pi do you need to calculate the circumference of earth at the equator to accuracy of a hydrogen atom? When did you convert between the units? 	<ul style="list-style-type: none"> Explore relationship between circumference and diameter/radius Use the formula for circumference Explore relationship between area and radius Use the formula for area of a circle Find the area and circumference of a semi-circle and other sectors Find the area and perimeter of composite shapes involving sectors of circles Name prisms, nets of prisms and using language associated with 3-D shapes Finding the volume and surface area of cuboids Finding the volume and surface area of other prisms including cylinders Finding the volume and surface area of composite solids Solving equations and rearranging formulae related to volumes Convert between different units of area and volume

MATHS CURRICULUM MAP

Year 9



	Topic	Core declarative knowledge: what should students know?	Core procedural knowledge: what should students be able to do?
Module 1	Graphs and Proportions	<ul style="list-style-type: none"> What is a coordinate? What is a gradient? What does parallel mean? What is the Y-intercept? What does it mean to be proportional? What does it mean to be inversely proportional? What do the graphical representations of proportion look like? What is standard form? What is the purpose of standard form? How do you know if a number is very large or small when written in standard form? 	<ul style="list-style-type: none"> Plot coordinates in all four quadrants Find the midpoint of a line segment joining two points Find an endpoint of a line segment, given the midpoint and one endpoint Identify the equations of horizontal and vertical lines Plot a straight line from a rule by generating coordinates Find the gradient and y-intercept of a line (inc negative and fractional gradients) Find the equation of a line Identify parallel lines Recognise when two quantities are directly proportional to each other Solve direct proportion problems using the unitary method Recognise when two quantities are inversely proportional to each other Use standard form to express very large and small numbers Convert between standard form and ordinary numbers Order large and small numbers that are in standard form Use standard form to solve addition and subtraction problems
Module 2	Algebra - Manipulating Variables	<ul style="list-style-type: none"> Why do we round numbers? What effect does rounding have in subsequent calculations? What does it mean to generalise? (In the context of a sequence) What is an expression? What is an equation? What is a formula? What is a binomial or a polynomial? What is the best method for expanding double/triple brackets 	<ul style="list-style-type: none"> Round numbers to powers of 10 Round numbers to a required number of decimal places Round numbers to a required number of significant figures Find the nth term of a linear sequence Recognise linear and quadratic expressions Recognise arithmetic and geometric sequences Generate and describe linear and non-linear sequences Multiply a term over a single bracket Expand products of two binomials Factorise expressions into a single bracket Expand products of three binomials Define what an expression, equation and formula are Manipulate familiar formulae such as known formulae for area and perimeter Make a specific term the subject of the formula
Module 3	Circles; 3D Shapes - Surface Area & Volume	<ul style="list-style-type: none"> What are the definitions of the circumference, radius, diameter, a chord, a sector and a segment? Is the circumference proportional to the diameter? What is pi? What is an irrational number? What approximation can be used for pi? How many decimal places of pi do you need to calculate the circumference of earth at the equator to accuracy of a hydrogen atom? When did you convert between the units? How do you use a compass correctly? How do you use a protractor/angle measurer correctly? 	<ul style="list-style-type: none"> Explore relationship between circumference and diameter/radius Use the formula for circumference Explore relationship between area and radius Use the formula for area of a circle Find the area and circumference of a semi-circle and other sectors Find the area and perimeter of composite shapes involving sectors of circles Name prisms, nets of prisms and using language associated with 3-D shapes Finding the volume and surface area of cuboids Finding the volume and surface area of other prisms including cylinders Finding the volume and surface area of composite solids Solving equations and rearranging formulae related to volumes Convert between different units of area and volume Constructing triangles using a pair of compasses and ruler given the length of the sides. Constructing triangles with the same interior angles using a protractor. Constructing triangles given two sides and an angle

MATHS CURRICULUM MAP

Year 9



	Topic	Core declarative knowledge: what should students know?	Core procedural knowledge: what should students be able to do?
Module 4	Mensuration	<ul style="list-style-type: none"> What are the properties of a right angled triangle? What is the hypotenuse? How can you identify the hypotenuse or the longest side of any triangle from its angles? What is the Pythagoras Theorem? What is the difference between an equation, expression and inequality? Does an equation always have a solution? What does the word inverse mean? Why do I need to perform the same operations to both sides of my equation? How do I decide what order to perform the inverse operations in? What do inequalities represent? How do inequalities relate to equations? Are the same methods for solving inequalities the same as equations? 	<ul style="list-style-type: none"> Identify the sides of a right angled triangle in relation to Pythagoras. Identify the hypotenuse of a right angled triangle Recognise the formula for the Pythagoras Theorem Use the formula to find the length of the hypotenuse. Use the formula to find the length of one of the shorter sides of a right angled triangle Form and solve equations including those with unknowns both sides and those involving algebraic fractions Represent, form and solve inequalities Use number lines and inequality symbols to represent and describe sets of numbers. Use substitution to determine whether values satisfy given inequalities. Solve linear inequalities with the unknown on one side. Form inequalities in geometrical contexts Use bar models to manipulate linear inequalities between two variables. Compare manipulating linear equations and linear inequalities.
Module 5	Equations, Inequalities and Probability	<ul style="list-style-type: none"> Why is using a graph to find a solution sometimes an estimate? What does using the graph to find a solution physically represent? What are the characteristics of a linear, exponential and reciprocal graph? What is probability? What does it mean to be random? What is the likelihood of winning the lottery? What does the probabilities of all possible outcomes sum to? What does 0 and 1 represent in probability? Is anything certain? What regions do the intersection and union represent on a venn diagram? What does mutually exclusive mean? What is the difference between experimental and theoretical probability? 	<ul style="list-style-type: none"> Use linear and quadratic graphs to estimate values of y or x for given values of x or y Find approximate solutions of simultaneous linear equations Find approximate solutions to contextual problems from given graphs of a variety of functions Use linear, exponential and reciprocal graphs to find solutions (including in context) Record, describe and analyse the frequency of outcomes of simple probability experiments Define and use key language terms such as randomness, fairness, equally and unequally likely outcomes Use the 0-1 probability scale Understand that the probabilities of all possible outcomes sum to 1 Enumerate sets and unions/intersections of sets systematically, using tables, grids and Venn diagrams Generate theoretical sample spaces for single and combined events with equally likely, mutually exclusive outcomes and use these to calculate theoretical probabilities.
Module 6	Handling Data	<ul style="list-style-type: none"> What happens to the original mean when one of the numbers is removed? When will the mean go up? When will it go down? Why? How could you compare the two data sets? When is the mean better to use? When is the median better to use? When is the mode better to use? What is continuous data? What is discrete data? What is the difference between univariate data and bivariate data? What is an outlier? Why do we use scatter diagrams? What does the line of best fit allow us to do? What does interpolation mean? What does extrapolation mean? 	<ul style="list-style-type: none"> Find the mean, median mode and range from raw datasets Use the mean, median and mode to compare data sets Use an average plus the range to compare datasets Find the mode, median and mean from tables and graphical representations (not grouped) Explore methods of data collection including surveys, questionnaires and the use of secondary data Appreciate the difference between discrete and continuous data Classify and tabulate data Conduct statistical investigations using collected data Construct scatter graphs Recognise clusters and outliers Analyse the shape, strength and direction to make conjectures for possible bivariate relationships Plot a line of best fit Use a line of best fit to interpolate and extrapolate inferences.